

Computer Science and Engineering												
Semester/Year		Program					B.Tech.					
Subject Category	ESC	Subject Code:	CSA102	Subject Name:	Digital Electronics							
Maximum Marks Allotted								Contact Hours			Total Credits	
Theory				Practical				Total Marks	L	T		P
End Sem	Mid-Sem	Assignment	Quiz	End Sem	Lab-Work	Quiz						
60	20	10	10	--	--	--	100	3	0	0	3	
<b>Prerequisites:</b>												
Basics of Physics												
<b>Course Objective:</b>												
The objective of this course is to provide the fundamental concepts associated with the digital logic and circuit design. To familiarize students with the different number systems, logic gates, minimization of logic circuits and combinational and sequential circuits utilized in the different digital circuits and systems. The course will help student to design and analyze the digital circuits and systems.												
<b>Course Outcomes:</b>												
Upon completion of this course, the student will be able to:												
<ul style="list-style-type: none"> <li>• CO1: Convert different number systems and codes used in digital circuits and systems.</li> <li>• CO2: Simplify and analyze the digital logic circuits using Boolean algebra and other mapping techniques.</li> <li>• CO3: Analyse and design different combinational logic circuits using different mapping techniques and mathematical tools.</li> <li>• CO4: Compare different types of sequential circuits viz. counters in the domain of analysis.</li> </ul>												
UNITs	Descriptions							Hrs.	CO's			
I	<b>Introduction to Digital Electronics:</b> Review of number system and conversions; Binary Arithmetic, Signed and Unsigned representation, Binary codes, Gray Code, Code Conversions, Error detection and correction codes - parity check codes and Hamming code.							8	CO1			
II	<b>Boolean Algebra and Switching Functions</b> - Study of basic logic gates, Basic postulates and fundamental theorems of Boolean algebra; Standard representation of logic functions - SOP and POS forms; Simplification of switching functions - K-map and Quine-McCluskey tabular methods.							8	CO2			
III	<b>Combinational Logic Modules and their applications:</b> Adders, Subtractors, Code Converters, parity generators and comparators, Encoders & Decoders, BCD to seven-segment decoder, Multiplexers & Demultiplexers and their applications.							9	CO3			
IV	<b>Sequential Circuits and Systems:</b> Set-Reset latches and flip flops, D-flipflop, R-S flip-flop, J-K Flip-flop, Master slave Flip flop, edge							7	CO4			


  
 Dr. Kanak Saxena  
 Chairperson

	triggered flip-flop, T flip-flops, Shift registers, classification of shift registers.		
V	<b>Counters classification:</b> asynchronous counters, synchronous counters, counters design, BCD counter, MOD counters, ripple counter, Introduction to finite state machines.	8	CO4
Guest Lectures (if any)		--	
<b>Total Hours</b>		40	
<b>List of Experiments</b>			

# S.A.T.I.

Samrat Ashok Technological Institute  
Vidisha (M.P.)



Name PIYUSH AGRAWAL  
Class B.TECH (I.T.)  
Subject DIGITAL ELECTRONIC  
Year 2022 - 2023  
Sch. No. 33006





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**SAMRAT ASHOK TECHNOLOGICAL INSTITUTE**  
VIDISHA (M. P.)

**INDEX**

Expt No.	EXPERIMENT JOB	Date of Performance	Date of Submission	Remarks	Grade	Sig. of Student	Signature Teacher
1.	Number System	14/11/22	21/11/22				
2.	LOGIC GATES	27/11/22	04/12/22				
3.	COMBINATIONAL CIRCUIT	09/12/22	18/12/22				
4.	SEQUENTIAL CIRCUIT	25/12/22	27/01/23				



ASSIGNMENT - 1

Que. 1 What is Number System?

Ans-1) When we type any letter or word, the computer translates them into numbers. Since computers can understand only numbers. A computer can understand only a few symbols called digits and these symbols describe different values depending on the position they hold in the numbers. In general, the binary number system is used in computers. However, the octal, decimal and hexa-decimal systems are also used sometimes.

Que. 2 What is Base?

Ans-2) A base is the available numbers in a numbering system. For example the most commonly known base is a base-10 numbering system or decimal numbers, which are 0, 1, 2, 3, 4, 5, 6, 7, 8, 9. Another common base when dealing with computers is the binary base-2 which only has the numbers 0 and 1.

## \*Types of Base -

1. Base - 2 (Binary)
2. Base - 8 (Octal)
3. Base - 10 (Decimal)
4. Base - 16 (Hexa-decimal)
5. Base (BCD)
6. Base (Hamming)

## Que. 3 Conversion of number Systems -

### (i) Decimal to binary -

ex. 1  $(41)_{10} \rightarrow (101001)_2$

2	41	
2	20	0
2	10	0
2	5	1
2	2	0
	1	

$101001$  Ans.

ex. 2  $(160)_{10} \rightarrow (10100000)_2$

$(10100000)$  Ans.

2	160	0
2	80	0
2	40	0
2	20	0
2	10	0
2	5	1
2	2	0
	1	



PROFESSIONAL PAPERS

(ii) Binary to Decimal -

ex.1  $(1011)_2 \rightarrow (11)_{10}$

$$1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 1 \times 2^0$$

$$8 + 0 + 2 + 1$$

= 110 Ans.

ex.2  $(1010.011)_2 \rightarrow (10.375)_{10}$

$$1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 0 \times 2^0 + 0 \times 2^{-1} + 1 \times 2^{-2} + 1 \times 2^{-3}$$

$$8 + 0 + 2 + 0 + 0 + \frac{1}{4} + \frac{1}{8}$$

(10.375) Ans.

(iii) Decimal to octal -

Ex.1  $(153)_{10} \rightarrow (231)_8$

(231) Ans.

8	153	1
8	19	3
8	2	

Ex.2  $(127)_{10} \rightarrow (177)_8$

(177) Ans.

8	127	7
8	15	7
8	1	

(iv) Octal to decimal -

Ex.1  $(304)_8 \rightarrow (196)_{10}$

$$\begin{aligned} & 3 \times 8^2 + 0 \times 8^1 + 4 \times 8^0 \\ & = 3 \times 64 + 0 + 4 \\ & = 192 + 0 + 4 \\ & = (196) \text{ Ans.} \end{aligned}$$

Ex.2  $(1532)_8 \rightarrow (858)_{10}$

$$\begin{aligned} & 1 \times 8^3 + 5 \times 8^2 + 3 \times 8^1 + 2 \times 8^0 \\ & 512 + 5 \times 64 + 24 + 2 \\ & 512 + 320 + 26 \\ & = (858) \text{ Ans.} \end{aligned}$$

(v) Octal to Binary -

Ex.1  $(41)_8 \rightarrow (100001)_2$

According to table  $(100001)_2$  Ans.

Ex.2  $(77)_8 \rightarrow (111111)_2$

According to table  $(111111)_2$  Ans.



ADDITIONAL PAPERS

(vi) Binary to Octal, -

Ex.1  $(10011)_2 \rightarrow (23)_8$

M-I  $\rightarrow ( )_2 \rightarrow ( )_{10} \rightarrow ( )_8$

$$1 \times 2^4 + 0 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 1 \times 2^0$$
$$16 + 0 + 0 + 2 + 1$$
$$(19)_{10}$$

Now this decimal, Convert to octal

$$\begin{array}{r} 8 \overline{) 19} \\ \underline{8 \phantom{0}} \\ 11 \\ \underline{8} \\ 3 \end{array} \quad (23)_8 \text{ Ans.}$$

Ex.2  $(101100)_2 \rightarrow (54)_8$

M-II  $\rightarrow$  By Using table

1st making pair of three,

then putting the value from table

$$(54)_8 \text{ Ans.}$$



(vii) Hexa To Binary -

Ex.1  $(7A4)_{16} \rightarrow (1111010100)_2$

By Using table,

$(1111010100)_2$  Ans.

Ex.2  $(5CA)_{16} \rightarrow (10111001010)_2$

By Using table,

$(10111001010)_2$  Ans.

(viii) Binary to Hexadecimal -

Ex.1  $(10101011)_2 \rightarrow (AB)_{16}$

By Using table,

$(AB)_{16}$  Ans.

Ex.2  $(100111011111)_2 \rightarrow (9DF)_{16}$

By Using table,

$(9DF)_{16}$  Ans.



Que. If  $(2x)_8 = (34)_x$

$$2 \times 8^1 + x \times 8^0 = 3 \times x^1 + 4 \times x^0$$

$$16 + x = 3x + 4$$

$$16 - 4 = 3x - x$$

$$12 = 2x$$

$$\boxed{x = 6} \text{ Ans.}$$

Que. If  $(121)_x = (125)_8$

$$1 \times x^2 + 2 \times x^1 + 1 \times x^0 = 1 \times 8^2 + 2 \times 8^1 + 5 \times 8^0$$

$$x^2 + 2x + 1 = 64 + 16 + 5$$

$$x^2 + 2x + 1 = 85$$

$$x^2 + 2x - 84 = 0$$

$$\boxed{x = 8.2}$$

Que. If  $(211)_x = (152)_8$

$$2 \times x^2 + 1 \times x^1 + 1 \times x^0 = 1 \times 8^2 + 5 \times 8^1 + 2 \times 8^0$$

$$2x^2 + x + 1 = 64 + 40 + 2$$

$$2x^2 + x + 1 = 106$$

$$2x^2 + x - 105 = 0$$

$$\boxed{x = 7} \text{ Ans.}$$

Que. Determine the base :

$$(23)_b + (44)_b + (14)_b + (32)_b = (223)_b$$

$$2 \times b^1 + 3 \times b^0 + 4 \times b^1 + 4 \times b^0 + 1 \times b^1 + 4 \times b^0 + 3 \times b^1 + 2 \times b^0 = 2 \times b^2 + 2 \times b^1 + 3 \times b^0$$

$$2b + 3 + 4b + 4 + b + 4 + 3b + 2 = 2b^2 + 2b + 3$$

$$10b + 13 = 2b^2 + 2b + 3$$

$$0 = 2b^2 + 2b + 3 - 13 - 10b$$

$$2b^2 - 8b - 10 = 0$$

$$2b^2 + 2b - 10b - 10 = 0$$

$$2b(b+1) - 10(b+1) = 0$$

$$(2b-10)(b+1) = 0$$

$$\therefore b = 5, \quad b = -1 \text{ (neglect)}$$

$$\boxed{b = 5} \quad \underline{\underline{\text{Ans.}}}$$

Que.  $\sqrt{(41)}_b = (5)_b$  Find Base.

$$\sqrt{4 \times b^1 + 1 \times b^0} = 5 \times b^0$$

$$\sqrt{4b + 1} = 5$$

Squaring both side

$$4b + 1 = 25$$

$$4b = 24$$

$$\boxed{b = 6} \quad \underline{\underline{\text{Ans.}}}$$



PROFESSIONAL PAPERS

Que. 5 (i) Subtraction with one's Complement -

Ans - 5)

$$1101011 - 111101$$

subtract 1101011 from 111101

1st complement of (111101) is 000010

$$\begin{array}{r}
 \oplus \\
 1101011 \\
 + 000010 \\
 \hline
 1101101
 \end{array}$$

Ans  $\Rightarrow$  0010010

(ii) Subtraction with two's complement -

$$1010101 - 1111000$$

$$\begin{array}{r}
 (1111000) \xrightarrow{2's} 0000111 \\
 + 1 \\
 \hline
 0001000
 \end{array}$$

$$\begin{array}{r}
 1010101 \\
 + 0001000 \\
 \hline
 1011101
 \end{array}$$

$$1011101 \longrightarrow 0100010$$

$$\begin{array}{r}
 * \quad \bullet \\
 \cancel{1011101} + 1 \\
 \hline
 0100011 \text{ Ans.}
 \end{array}$$

(iii) Subtraction with Nine's complement -

$$54321 - 12345$$

$$\begin{array}{r}
 99999 \\
 - 12345 \\
 \hline
 87654
 \end{array}$$

$$\begin{array}{r}
 \oplus \\
 54321 \\
 + 87654 \\
 \hline
 141975
 \end{array}$$

$$\begin{array}{r}
 41975 \\
 + 1 \\
 \hline
 41976
 \end{array}$$

41976 Ans.

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(iv) Subtraction with Ten's Complement -

$$215 - 155 = 1060$$

$$\begin{array}{r} 999 \\ - 155 \\ \hline 844 \\ + 1 \\ \hline 845 \end{array} \quad \begin{array}{r} 215 \\ + 845 \\ \hline \boxed{1060} \text{ Ans.} \end{array}$$

Que. 6 Octal Addition -

$$(733)_8 + (421)_8 = (1354)_8$$

According to Table

$$(111011011)_2 + (100010001)_2$$

$$\begin{array}{r} \textcircled{1} \quad \textcircled{11} \\ 111011011 \\ + 100010001 \\ \hline 001011101100 \end{array}$$

$$= (1354)_8 \text{ Ans.}$$



PROFESSIONAL PAPERS

★ Complement's -

① 1's complement →

Ex. -     100101  
              011010 Ans.

② 2's complement →

Ex. -     (10010)

$$\begin{array}{r} (10010) \xrightarrow{1's} 01101 \\ + 1 \\ \hline 01110 \text{ Ans.} \end{array}$$

③ 9's complements -

Ex. -     786

$$\begin{array}{r} 999 \\ - 786 \\ \hline 213 \text{ Ans.} \end{array}$$

④ 10's complements →

Ex.     504     (504)  $\xrightarrow{9's}$      999     495

$$\begin{array}{r} - 504 \\ \hline 495 \end{array} \quad \begin{array}{r} + 1 \\ \hline 496 \text{ Ans.} \end{array}$$

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669

★ X-3 Code / Excess-3 code -

Que.  $(69)_{10} + (24)_{10} = (93)_{10}$  BCD  
 $+ 0011$  (Add 3)  
X-3 code

$(01101001)_{BCD} + (00100100)_{BCD}$   
 $+ 00110011$   
 $(10011100)_{X-3 \text{ code}} + (01010111)_{X-3 \text{ code}}$

$10011100$   
 $+ 01010111$   


---

 $11110011$   
 MSB      LSB

$11110011$   
 $- 00110011$   


---

 $(11000110)_{BCD}$   
 $- 00110011$   


---

 $10010011$   
 9      3

$(93)_{10}$  Ans.



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PROFESSIONAL PAPERS

★ HEXA ADDITION -

$$(C6F12)_{16} + (062C)_{16} = (\cancel{6353E})_{16} \\ C753E$$

According to the table

$$(11000110111100010010)_2 + (0000011000101100)_2 \\ \begin{array}{r} \phantom{+} \\ 11000110111100010010 \\ + \phantom{11000}0000011000101100 \\ \hline 11000111010100111110 \end{array}$$

$$\leftarrow (C753E)_{16}$$

★ BCD Addition -

Que.  $(12)_{10} + (20)_{10} = (32)_{10}$

According to Table

$$(00010010)_2 + (00100000)_2$$

$$\begin{array}{r} 00010010 \\ + 00100000 \\ \hline 00110010 \end{array} \text{ Ans.} \\ \downarrow \\ \underline{(32)} \text{ Ans.}$$



★ BCD Subtraction - and method A

$$(993)_{10} - (645)_{10} = (353)_{10}$$

$$(998)_{10} + (354)_{10} \quad \begin{array}{r} 999 \\ - 645 \\ \hline 354 \end{array}$$

$$\begin{array}{r} \textcircled{1} \textcircled{1} \quad \textcircled{1} \\ 1000100011000 \\ + 001101010100 \\ \hline \textcircled{1} \quad \textcircled{1} \textcircled{1} \textcircled{1} \quad \textcircled{1} \textcircled{1} \\ 100011101100 \\ + 0110011100110 \\ \hline \textcircled{1}001101010010 \end{array}$$

$$\begin{array}{r} \textcircled{1}001101010010 \\ \xrightarrow{+1} \\ \hline 001101010011 \end{array} \longrightarrow (353)_{10}$$

Ans.

Que. A 7 bit hamming code is 1000111 if there is any error find location and correct it.

7	6	5	4	3	2	1
$D_4$	$D_3$	$D_2$	$P_3$	$D_1$	$P_2$	$P_1$
1	0	0	0	1	1	1

P-I    7 5 3 1  
          1 0 1 1

P-II    7 6 3 2  
          1 0 1 1

P-III    7 6 5 4  
          1 0 0 0

$x_1 = 1$

$x_2 = 1$

$x_3 = 1$

No. of one's = odd

$x_3 \quad x_2 \quad x_1$

1    1    1

▶ Error is on position 7.



$x_3 \ x_2 \ x_1$  Error on 7<sup>th</sup> position  
 1 1 1 there is our data ( $D_4$ ).  
 ERROR (1 $\rightarrow$ 0, 0 $\rightarrow$ 1)

7 6 5 4 3 2 1  
 $D_4 \ D_3 \ D_2 \ P_3 \ D_1 \ P_2 \ P_1$   
 1 0 0 0 1 1 1

Correct  $\rightarrow$  0 0 0 0 1 1 1 . Ans.

► Error occur at position 7. Here we see at position 7 we have the data ( $D_4$ ) with value 1. So to correct the code we take "complement" of 1. So, the new "Hamming Code" is 0000111.



ASSIGNMENT - 2

UNIT - 2

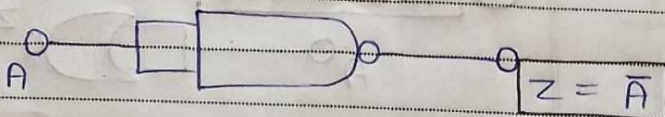
LOGIC GATES

DISCUSSIONAL PAPERS

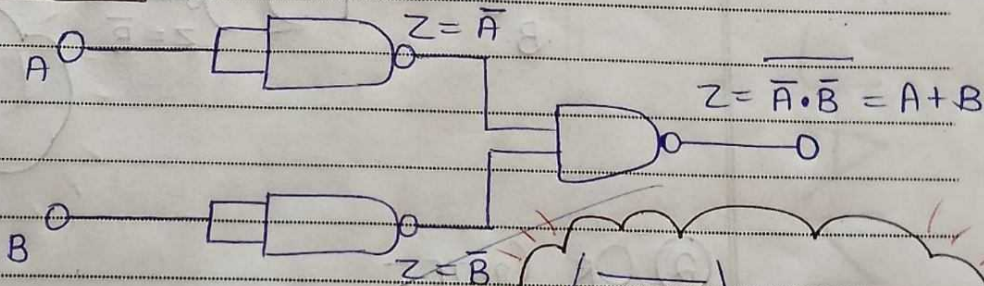
Que.1 Create "Or", "not" & "and" gate with the help of 'Nand' gate?

Ans-1 :-

1) NOT GATE -

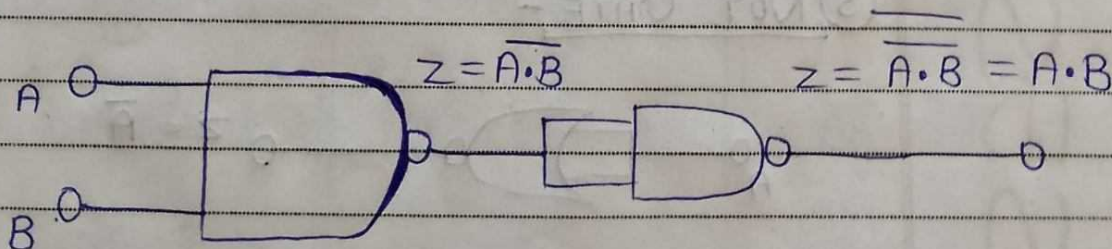


2) OR GATE -



$(\overline{\bar{A} \cdot \bar{B}}) = A + B$

3) AND GATE -

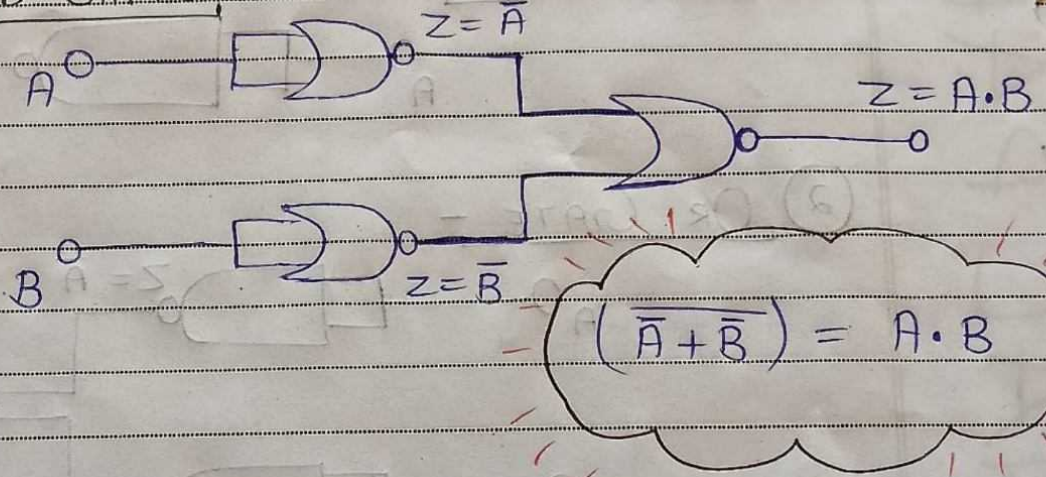


②

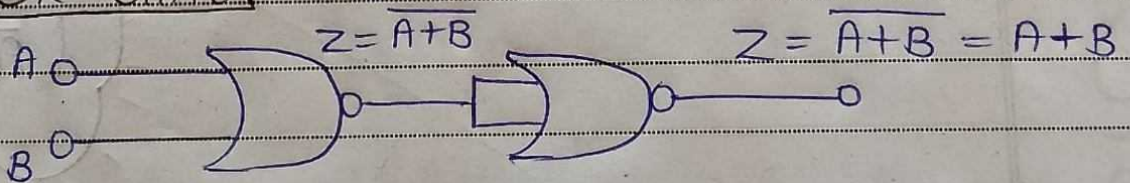
Que. 2 Create "And", "or" & "Not" gate with the help of "NOR".

Ans-2  $\Rightarrow$

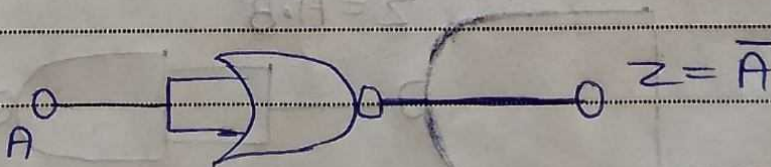
① AND GATE -



② OR GATE -



③ NOT GATE -



Que. 3 Write the Boolean Algebra rules?

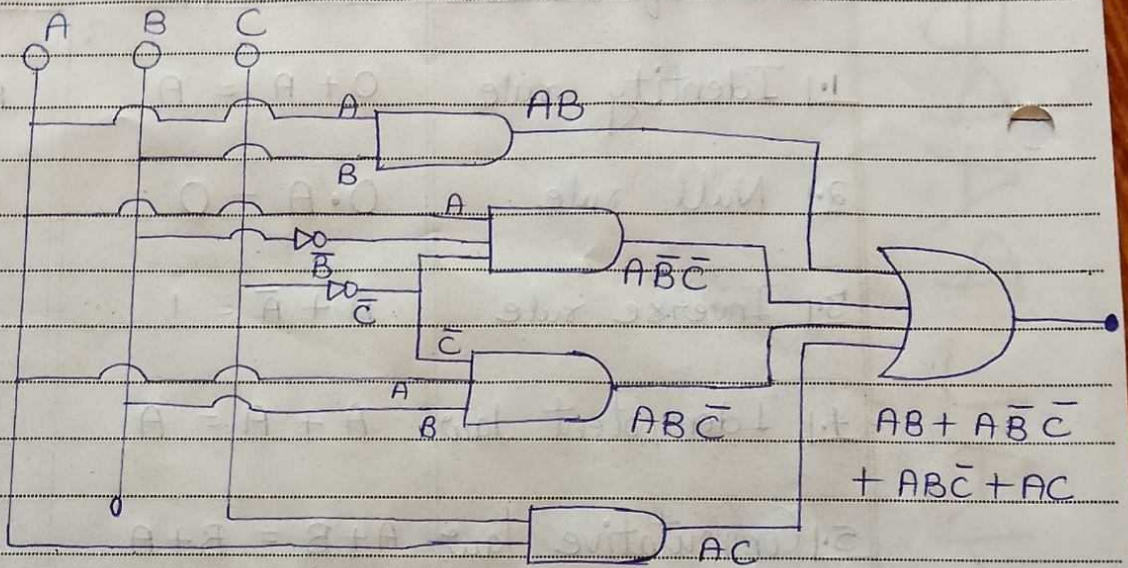
Ans-3  $\Rightarrow$

BOOLEAN ALGEBRA

Name of Rule	OR RULE	AND RULE
1.) Identity rule	$0 + A = A$	$A \cdot 1 = A$
2.) Null rule	$0 \cdot A = 0$	$1 + A = 1$
3.) Inverse rule	$A + \bar{A} = 1$	$A \cdot \bar{A} = 0$
4.) Idempotent law	$A + A = A$	$A \cdot A = A$
5.) Commutative law	$A + B = B + A$	$AB = BA$
6.) Associative law	$(A + B) + C = A + (B + C)$	$(AB)C = A(BC)$
7.) Distributive law	$A(B + C) = AB + AC$	$A + BC = (A + B) \cdot (A + C)$
8.) Absorption law	$A + AB = A$	$A(A + B) = A$
9.) Demorgan's law	$\overline{A + B} = \bar{A} \cdot \bar{B}$	$\overline{AB} = \bar{A} + \bar{B}$
10.) Special Rule	$A + B$	$A + \bar{A}B$

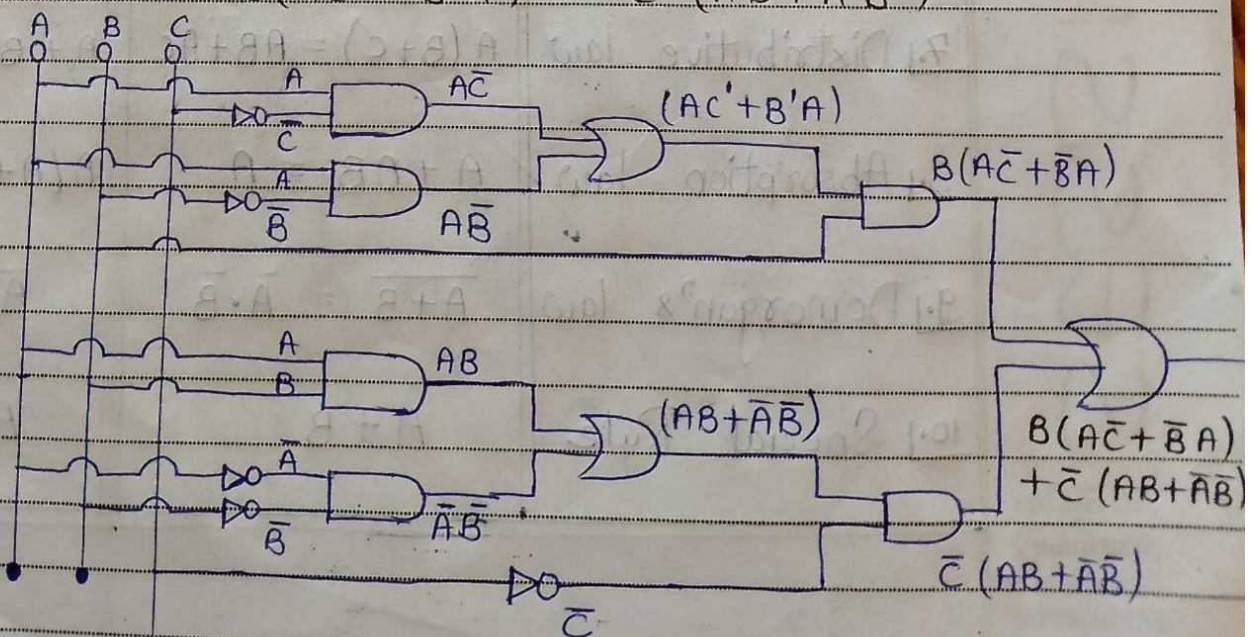
Que. 4 Draw logic gate diagram of the

eq.<sup>n</sup> -  $AB + A\bar{B}\bar{C} + AC + ABC\bar{C}$



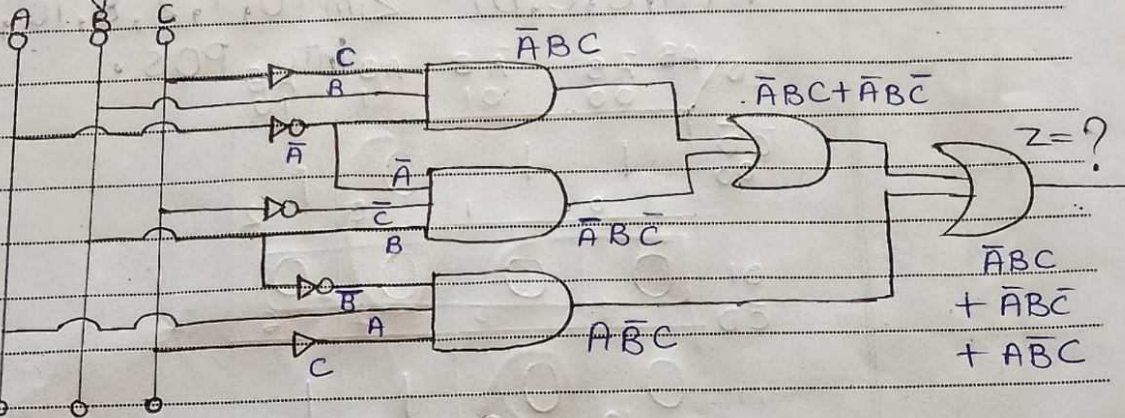
Que. 5 Draw logic gate diagram of the eq.<sup>n</sup>

-  $B(AC' + B'A) + C'(AB + A'B')$





Que. 6. Write the equation of the following logic gate?



# Final Ans  $\Rightarrow Z = \bar{A}BC + \bar{A}\bar{B}\bar{C} + A\bar{B}C$

Que. 7 Find SOP of  $F(A, B, C, D) = \sum m(0, 1, 2, 5, 7, 8, 9, 10, 13, 15)$ .

CD \ AB	$\bar{A}\bar{B}$ 00	$\bar{A}B$ 01	$A\bar{B}$ 11	$AB$ 10
$\bar{C}\bar{D}$ 00	1	1	1	1
$\bar{C}D$ 01		1	1	1
$CD$ 11		1	1	1
$C\bar{D}$ 10	1	1	1	1

# Final Ans  $\Rightarrow \bar{B}\bar{D} + \bar{A}\bar{D} + BD$  Ans

ORIGINAL PAPERS

Que. 8 Convert SOP into POS of the function

$$F(A, B, C, D) = \sum m(0, 1, 2, 8, 10, 11, 14, 15)$$

into POS.

CD \ AB	$\bar{A}\bar{B}$ 00	$\bar{A}B$ 01	$A\bar{B}$ 11	$AB$ 10
$\bar{C}\bar{D}$ 00	1 0	1 1	0 3	1 2
01 $\bar{C}D$	0 4	0 5	0 7	0 6
11 CD	0 12	0 13	1 14	1 15
10 C $\bar{D}$	1 8	0 9	1 11	1 10

$$\Rightarrow \bar{C}D + \bar{A}D + ABC\bar{C} + \bar{A}BC$$

# Final Ans.

$$(\bar{C} + D)(\bar{A} + D)(A + B + \bar{C})(\bar{A} + B + C)$$

Take whole bar

$$\text{Ans. } (C + \bar{D})(A + \bar{D})(\bar{A} + \bar{B} + C)(A + \bar{B} + \bar{C})$$





"UNIT - 3" "COMBINATIONAL CIRCUIT"  
Samrat Ashok Technological Institute Vidisha

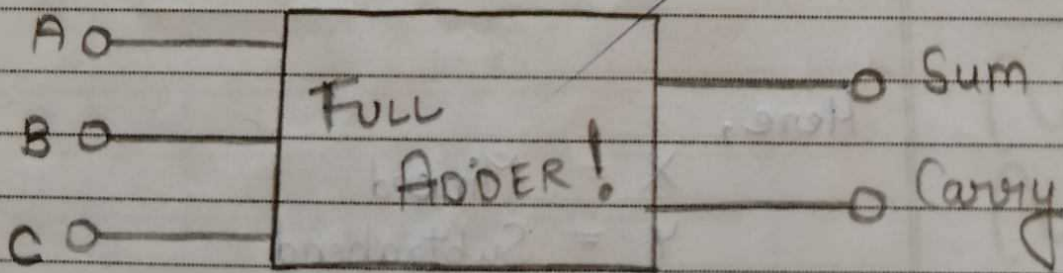
"ASSIGNMENT - 3" ✕ ✕

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Sch. No. ....  
Year .....  
Date .....

Que.1 Short Note on Full Adder.

Ans-1) A full adder is a digital circuit that performs addition. It adds three inputs & produces two outputs. The first two inputs are A & B and the third input is an input carry as C in. The output carry is designated as C<sub>out</sub> and the normal output is designated as S which is Sum.

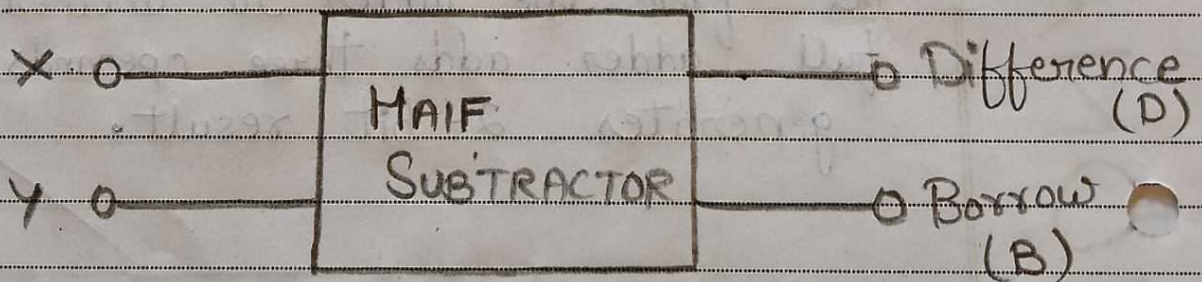
A full adder logic is designed in such a manner that can take eight inputs together to create a byte-wide adder and cascade the carry bit from one adder to another. A 1-bit full adder adds three operands and generates 2-bit result.



" FULL ADDER "

Que. 2 Short note on Half-Subtractor?

Ans-21 Half-Subtractor is a combinational circuit with two-inputs (let say  $x$  &  $y$ ) and two outputs which are 'difference' and 'borrow'. It produces the difference between two binary bits at the input and also produces an output (Borrow) to indicate if a 1 has been borrowed. In the subtraction  $(x-y)$ ,  $x$  is called a Minuend bit and  $y$  is called as Subtrahend bit.



Here,

$X$  = Minuend

$Y$  = Subtrahend

$B$  = Borrow

$D$  = Difference

" HALF SUBTRACTOR "



Que. 3 Implement a mux for boolean function.

$F(A, B, C) = \Sigma(1, 3, 5, 6)$  if (C) is a input.

Sol.<sup>n</sup>  $\Rightarrow F(A, B, C) = \Sigma(1, 3, 5, 6)$

Select line  
 $n = 2$

Input =  $2^n \times 1$   
 $2^2 \times 1$

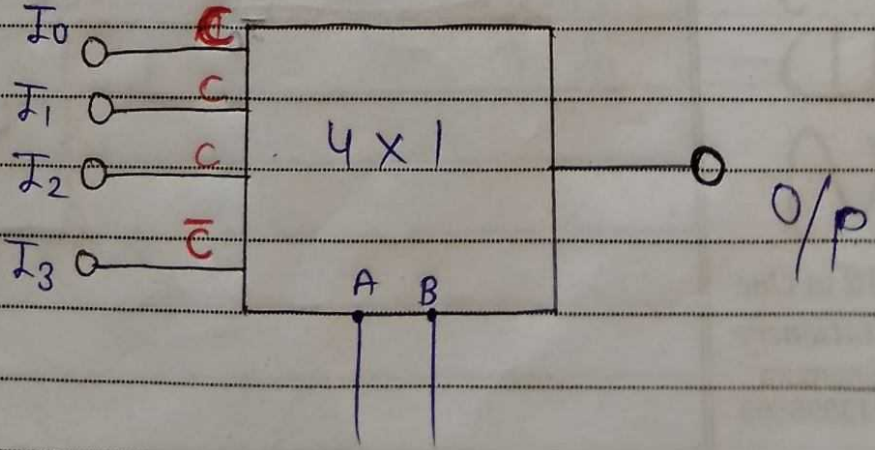
$(4) \times (1)$

Input  $\rightarrow$  Output

	A	B	C
0	0	0	0
1	0	0	1
2	0	1	0
3	0	1	1
4	1	0	0
5	1	0	1
6	1	1	0
7	1	1	1

	$I_0$	$I_1$	$I_2$	$I_3$
$\bar{C}$	0	2	4	6
C	4	3	5	7
	C	C	C	$\bar{C}$

$\bar{C} = 0$   
 $C = 1$



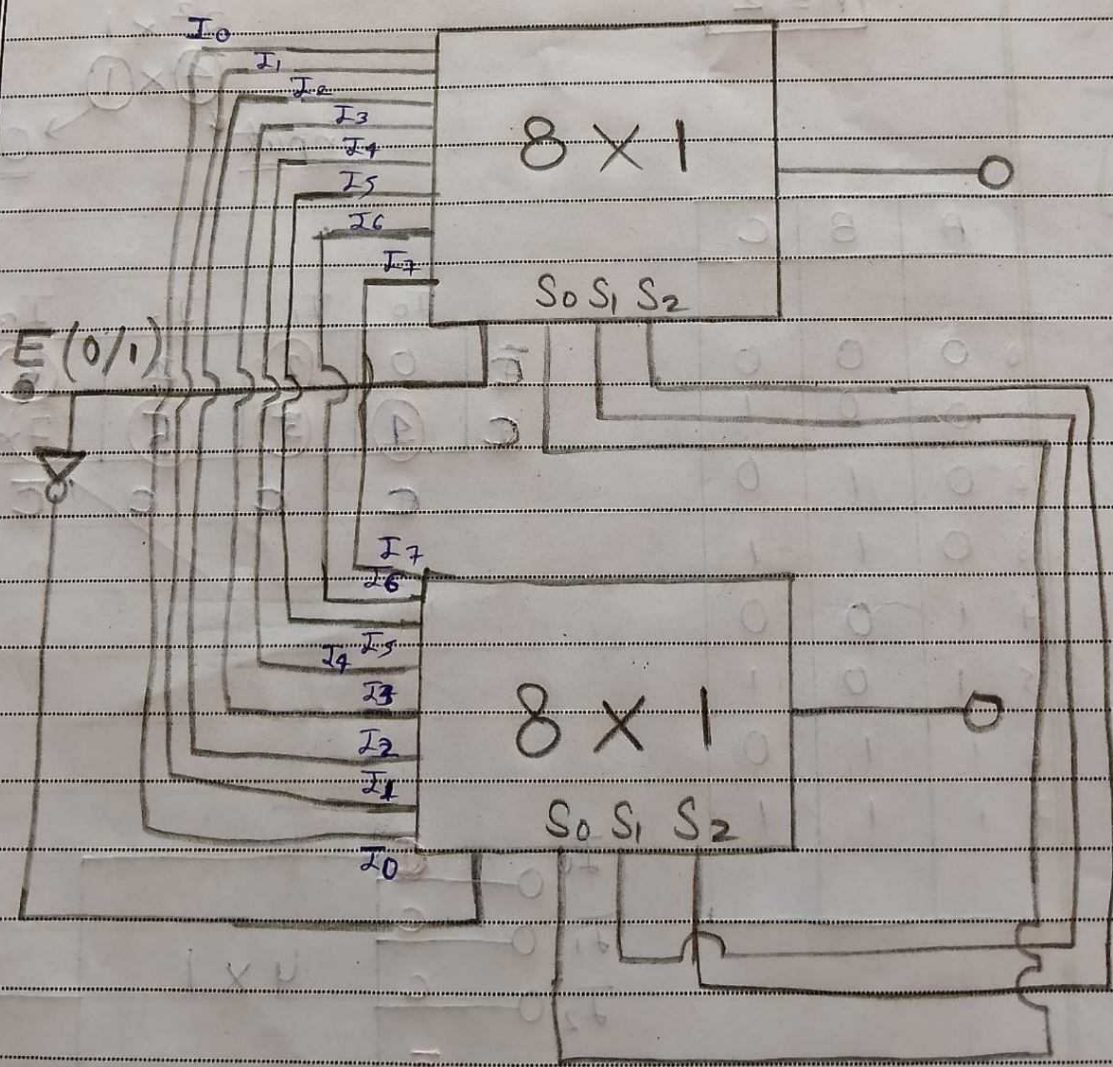
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Que. 4 Obtain  $16 \times 1$  Mux with  $8 \times 1$  Mux.

Sol.  $\Rightarrow$  Here,  $S_1 \& S_2 \rightarrow$  Select lines

8 inputs  $\rightarrow I_0, I_1, I_2, I_3, I_4, I_5, I_6, I_7$

$E =$  Enable switch (0/1)



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Que. 5. It is necessary to sum two binary no. each two bit long in order to form their addition in binary. Let the two no. be represented by  $a_1 a_0$  and  $b_1 b_0$  where significant bit. Determine the no. of output line required and find the simplified boolean algebra.

Input		Output			
$a_1 a_0$	$b_1 b_0$	P	Q	R	S
00	00	0	0	0	0
00	01	0	0	0	1
00	10	0	0	1	0
00	11	0	0	1	1
01	00	0	0	0	1
01	01	0	0	1	0
01	10	0	0	1	1
01	11	0	1	0	0
10	00	0	0	1	0
10	01	0	0	1	1
10	10	0	1	0	0
10	11	0	1	0	1
11	00	0	0	1	1
11	01	0	1	0	0
11	10	0	1	0	1
11	11	0	1	1	0

$P = 0$

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★ k-Maps -

(Q)

	$a_1 a_0$	$b_1 b_0$	$\bar{b}_1 b_0$	$b_1 \bar{b}_0$	$\bar{b}_1 \bar{b}_0$
$\bar{a}_1 \bar{a}_0$	0	1	3	2	
$\bar{a}_1 a_0$	4	5	7	6	
$a_1 a_0$	12	13	15	14	
$a_1 \bar{a}_0$	8	9	11	10	

$a_0 b_1 b_0 + a_1 a_0 b_0 + a_1 b_1$

(R)

	$a_1 a_0$	$b_1 b_0$	$\bar{b}_1 b_0$	$b_1 \bar{b}_0$	$\bar{b}_1 \bar{b}_0$
$\bar{a}_1 \bar{a}_0$			1	1	
$\bar{a}_1 a_0$		1		1	
$a_1 a_0$	1		1		
$a_1 \bar{a}_0$	1	1			

$\Rightarrow \bar{a}_1 \bar{a}_0 b_1 + \bar{a}_1 b_1 \bar{b}_0 + \bar{a}_1 a_0 \bar{b}_1 b_0 + a_1 a_0 b_1 b_0 + a_1 b_1 \bar{b}_0 + a_1 \bar{a}_0 \bar{b}_1$

~~$a_0 \bar{b}_0 + \bar{a}_0 b_0$~~

(S)

	$a_1 a_0$	$b_1 b_0$	$\bar{b}_1 b_0$	$b_1 \bar{b}_0$	$\bar{b}_1 \bar{b}_0$
$\bar{a}_1 \bar{a}_0$		1	1		
$\bar{a}_1 a_0$	1				1
$a_1 a_0$	1				1
$a_1 \bar{a}_0$		1	1		

★ No. of Output line = 3 Ans.



## ASSIGNMENT-4

### UNIT-4      SEQUENTIAL CIRCUIT

Que.1 Write the difference between Combinational circuit and sequential circuit.

Ans-1 Combinational Circuit

Sequential Circuit

1.] It contains logic gates but do not contain storage element or memory element.

1.] It contains logic gates as well as memory element.

2.] Logic gates are connected together to give a specific output for certain input variables.

2.] It is mainly used for storing data.

3.] It is used for arithmetic as well as boolean operations.

3.] In this output depends upon present as well as past input.

4.] Combinational circuits don't have clock, they don't require triggering.

4.] Flip-flops are elementary building blocks.

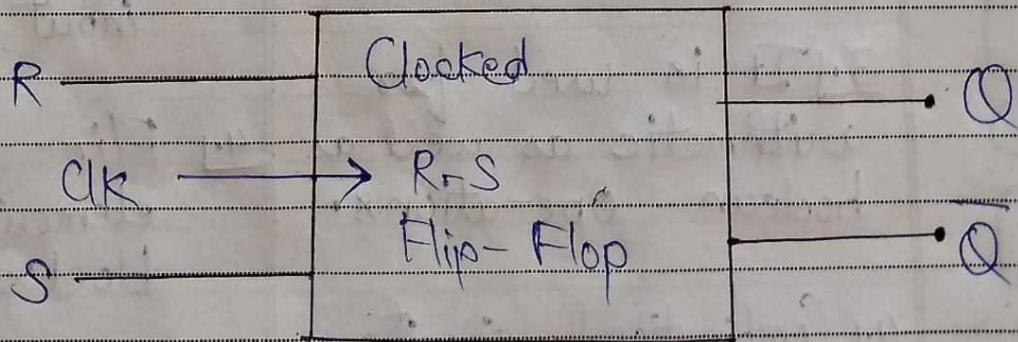
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5.1 These types of circuits are defined as the time independent circuit which do not depends upon previous inputs to generate any outputs.

5.1 Sequential Circuits are those which are dependent on clock cycle hence they - require triggering & also this is time dependent.

Que-2 Describe Clocked R-S flip-flop.

Ans-2 In addition to the R (reset) & S (set) inputs, these circuits also receive the clock signals. In the clocked R-S flip-flop the Q output will be unaffected by any change in R @ S as long as the clock (c) is 0 (Low). That is during the "read" phase of the clock cycle the contents of memory connect be changed.







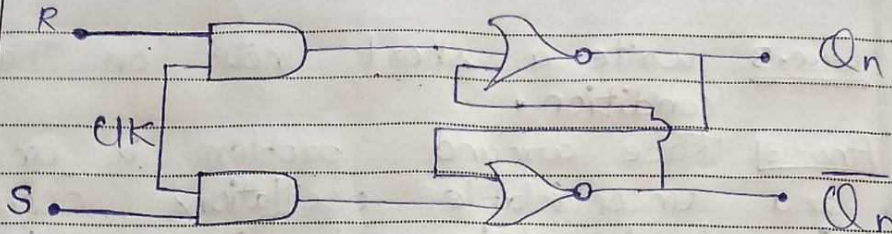
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★ Characteristic Table, -

★ Truth Table, -

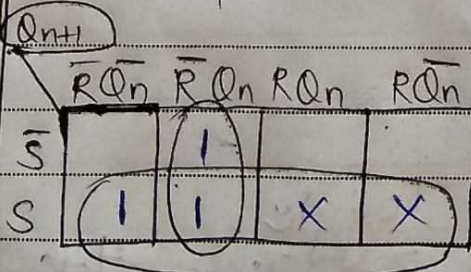
S	R	Q <sub>n</sub>	Q <sub>n+1</sub>
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	0
1	0	0	1
1	0	1	1
1	1	0	X
1	1	1	X

S	R	CLK	Q <sub>n</sub>
X	X	0	Q <sub>n</sub>
0	0	1	Hold
0	1	1	0
1	0	1	1
1	1	1	Invalid

★ Excitation Table, -

Q <sub>n</sub>	Q <sub>n+1</sub>	S	R
0	0	0	X
0	1	1	0
1	0	0	1
1	1	X	0

★ K-Map, -



$$Q_{n+1} = S + \bar{R}Q_n$$

Que.3 Write a short note on Race-around condition.

Ans-3 Race around problem is unwanted and uncontrollable oscillations occurring in level triggered JK flip-flop due to a feedback from output to input. It is overcome by master-slave configuration.

Race around condition in JK flip-flop are as follows:

- For J.K flip-flop, if  $J=K=1$ , if  $ck=1$  for a long period of time, then output (Q) will toggle as long as ck remains high which makes the outputs unstable or uncertain.

This is called a race around condition in J.K flip-flop.

★ Conditions -

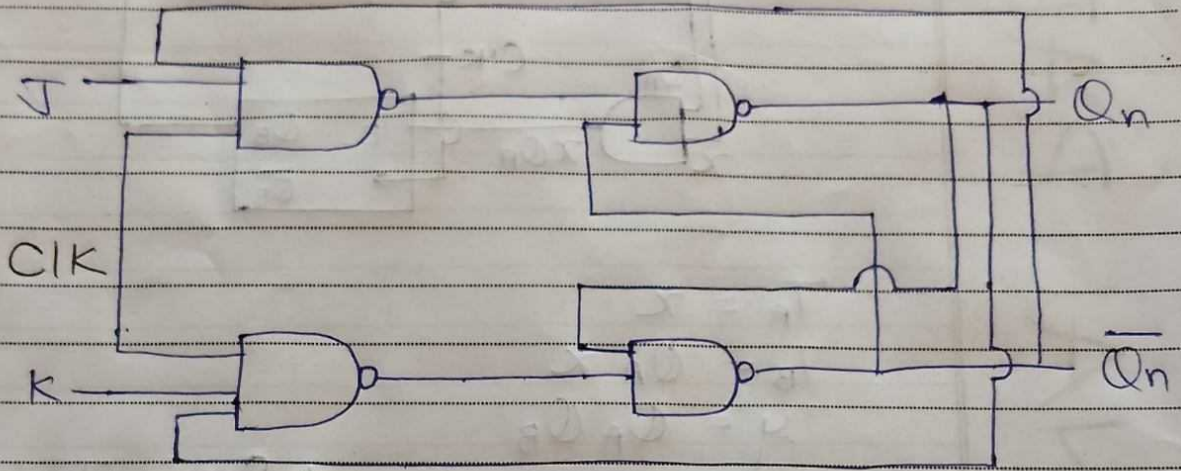
- ① Level Triggered
- ②  $J=K=1$ ,  $Q \Rightarrow$  Toggle
- ③  $t_w \gg t_d$  (where  $t_d =$  Time taken by the flip-flop to proceed the input)



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• NOTE -

When all the above 3 conditions fulfill or occur then only race around conditions occurs in J.K flip-flops.

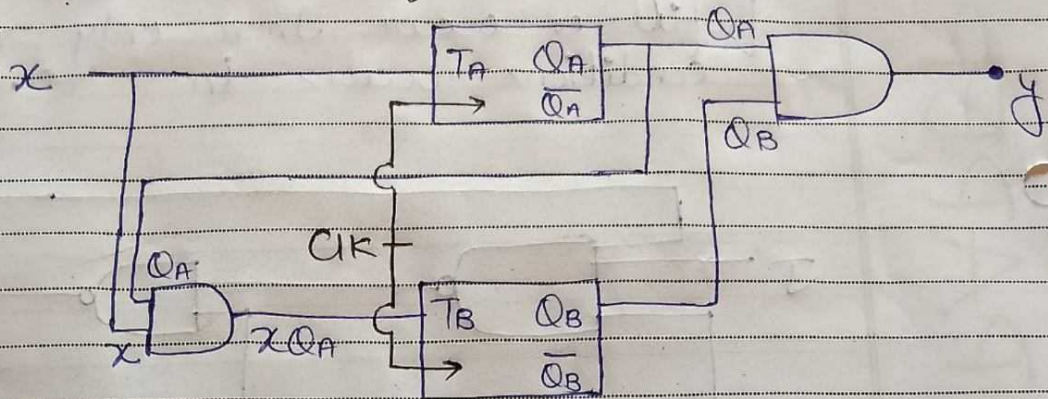


0 1 0 1

1 0 1 0

} Toggle

Que. 4 Analysis of sequential circuit with T flip-flop.



$$T_A = x$$

$$T_B = Q_A x$$

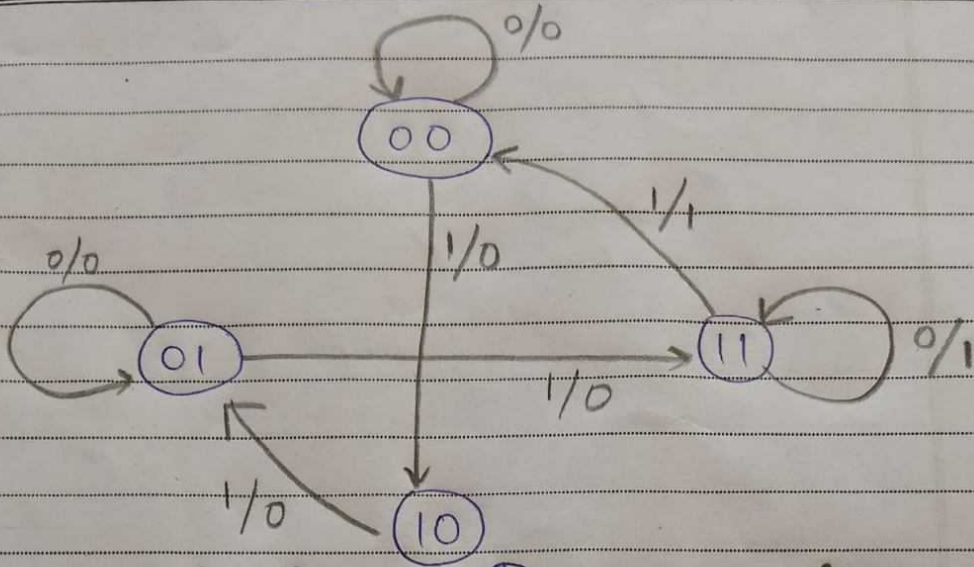
$$y = Q_A Q_B$$

★ STATE TABLE

Previous State $Q_A$	State $Q_B$	Input $x$	Next State		$T_A$	$T_B$	Output $y$
			$Q_A^+$	$Q_B^+$			
0	0	0	0	0	0	0	0
0	0	1	1	0	1	0	0
0	1	0	0	1	0	0	0
0	1	1	1	1	1	0	0
1	0	0	1	0	0	0	0
1	0	1	0	1	1	1	0
1	1	0	1	1	0	0	1
1	1	1	0	0	1	1	1



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— ∴ STATE DIAGRAM ∴ —

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